

Guidance - Slide-Roll Ratio versus Slip

Slide/Roll Ratio



$$\text{Slide/Roll Ratio} = \text{Sliding Velocity} / \text{Rolling Velocity}$$

Where:

$$\text{Sliding Velocity} = |U_1 - U_2|$$

$$\text{Rolling Velocity} = \frac{1}{2} (U_1 + U_2)$$

For lubricated tests in a two-roller machine, where the axes of rotation are fixed, the **Rolling Velocity** is the same as the lubricant **Entrainment Velocity**.

Hence:

$$\text{Slide/Roll Ratio}\% = 200 \times |U_1 - U_2| / (U_1 + U_2)$$

This is the "preferred" definition of Slide/Roll Ratio and it means that for "pure sliding", in other words, for $U_2 = 0$, the **Slide/Roll Ratio = 200%**.

Slide/Roll Ratio – General Solution

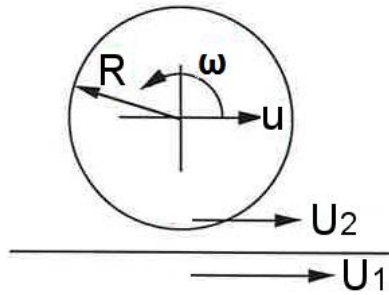
$$\text{Slide/Roll Ratio} = \text{Sliding Velocity} / \text{Entrainment Velocity}$$

In some circumstances, it is useful consciously to use the entrainment velocity as opposed to the rolling velocity, when analysing more complicated systems.

$$\text{Entrainment Velocity} = \frac{1}{2} \{ (U_1 - u_c) + (U_2 - u_c) \}$$

Where u_c is the speed of the contact patch, such that the Entrainment Velocity is the mean speed relative to the contact patch, as opposed to Rolling Velocity = $\frac{1}{2} (U_1 + U_2)$.

Consider rolling and sliding along a plane:



Where:

$$u_c = u$$

$$U_2 = u + R\omega$$

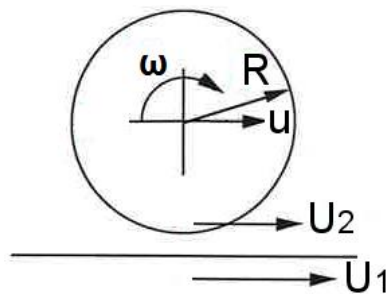
$$\begin{aligned} \text{Entrainment Velocity} &= \frac{1}{2} \{(U_1 - u_c) + (U_2 - u_c)\} \\ &= \frac{1}{2} \{(U_1 - u) + (u + R\omega - u)\} \\ &= \frac{1}{2} \{U_1 - u + R\omega\} \end{aligned}$$

Hence:

$$\text{Slide/Roll Ratio\%} = 200 \times (U_1 - u - R\omega) / (U_1 - u + R\omega)$$

If $\omega = 0$ then Slide/Roll% = 200%, hence pure sliding.

If $U_1 = u + R\omega$ then Slide/Roll% = 0%, hence pure rolling.



Reversing ω direction:

$$\text{Slide/Roll Ratio\%} = 200 \times (U_1 - u + R\omega) / (U_1 - u - R\omega)$$

If $\omega = 0$ then Slide/Roll% = 200%, hence pure sliding.

If $U_1 = 0$:

$$\begin{aligned} \text{Slide/Roll Ratio\%} &= 200 \times (-u + R\omega) / (-u - R\omega) \\ &= 200 \times (u - R\omega) / (u + R\omega) \end{aligned}$$

Slip Ratio

Slip Ratio% is usually defined as:

$$\text{Slip Ratio\%} = 100 \times (\text{Vehicle Speed} - \text{Wheel Speed}) / \text{Vehicle Speed}$$

$$\text{Slip Ratio\%} = 100 \times |U_1 - U_2| / U_1$$

Hence, for "pure sliding", in other words, for $U_2 = 0$, the **Slip Ratio = 100%**.

$$\text{Slip Ratio} = \text{Sliding Velocity} / \text{Velocity of Larger Roller}$$

Nominate U_1 to be the larger roller:

$$\text{Slip Ratio} = (U_1 - U_2) / U_1$$

Note:

Slip Ratio is a term that appears, as the definition might suggest, to be used mostly in the automotive industry, in particular with regard to traction control and anti-lock braking systems.

Creepage

Creep occurs when one or other of the materials in contact undergo some tangential deformation. If, for example, a thin 'tyre' on the wheel stretches a bit as a result of the application of the normal pressure then in making one revolution the wheel will have advanced a bit more than $2\pi R$. Creepage is that extra bit as a percentage and there are regions of 'stick' and 'slip' within the contact.

There appears to be an alternative definition of Creep% used in the rail industry, which may be at odds with the above definition. This term is derived from the Slide/Roll equation:

$$\begin{aligned} \text{Slide/Roll Ratio\%} &= 100 \times (\text{Sliding Velocity}) / (\text{Rolling Velocity}) \\ &= 100 \times (V - R\omega) / 0.5 \times (V + R\omega) \\ &= 200 \times (V - R\omega) / (V + R\omega) \end{aligned}$$

Now, if $R\omega$ is small, this is sometimes simplified to:

$$\text{Slide/Roll Ratio\%} = 200 \times (V - R\omega) / (V)$$

Hence Slide/Roll Ratio at low rates of sliding, sometimes (possibly) referred to as Creep%, is 2 x Slip Ratio%.